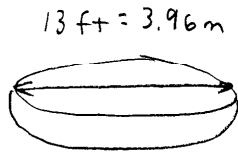


Problem A

Context-Rich Problems: Solutions Outline

FOCUS the PROBLEM

Draw a picture of the situation including ALL the information given in the problem.



$$1 \text{ rev} / 3 \text{ sec}$$

Push for 1 sec

$$\text{with a force of } 150 \text{ lbs} = 668 \text{ N}$$

Question(s): What is the problem asking you to find?

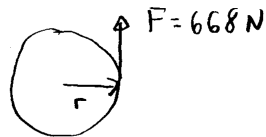
What is the mass of the merry-go-round

Approach: Outline the approach you will use.

Use Newton's second law for angular quantities, assuming the merry-go-round is a disk. Also use Angular kinematics to determine angular acceleration

DESCRIBE the PHYSICS

Draw physics diagram(s) and define ALL quantities uniquely.



$$r = 1.98 \text{ m}$$

$$I = \frac{1}{2} m r^2$$

$$\omega_0 = 0$$

$$\omega_1 = \frac{1 \text{ rev}}{3 \text{ sec}} \times \frac{2\pi \text{ rad}}{\text{rev}} = \frac{2\pi}{3} \frac{\text{rad}}{\text{sec}}$$

$$t_1 - t_0 = 1.0 \text{ sec} \quad t_0 = 0 \text{ sec}$$

Which of your defined quantities is your Target variable(s)? m

Quantitative Relationships: Write equations you will use to solve this problem.

$$\sum \vec{\tau} = I \vec{\alpha}$$

$$\omega_1 = \omega_0 + \alpha \Delta t$$

PLAN the SOLUTION

Construct Specific Equations (Same Number as Unknowns)

$$\Sigma \tau = I \alpha$$

$$Fr = \frac{1}{2} m r^2 \alpha$$

$$m = \frac{2F}{r\alpha} \quad (1)$$

α, m

Solve for α

$$\omega_1 = \omega_0 + \alpha(t_1 - t_0)$$

$$\alpha = \frac{\omega_1 - \omega_0}{t_1 - t_0} = \frac{\omega_1}{t_1} \quad (2)$$

Plug (2) into (1)

$$m = \frac{2Ft_1}{r\omega_1}$$

Check Units

$$\frac{\frac{[m][L][T]}{[J]^2}}{[L] \frac{1}{[T]}} = [m] \text{ ok}$$

EXECUTE the PLAN

Calculate Target Quantity(ies)

$$m = \frac{2(668 \text{ N})(1.0 \text{ s})}{(1.98 \text{ m}) \left(\frac{2\pi \text{ rad}}{3 \text{ sec}} \right)} = 322 \text{ kg}$$

(≈ 700 lbs)

EVALUATE the ANSWER

Is Answer Properly Stated?

Yes in kg

Is Answer Unreasonable?

No, it is quite heavy, though

Is Answer Complete?

Yes

(extra space if needed)