## **Group Problem**

You are at the Orange Bowl on January 8, 2009, where OU is playing USC for the 2008 National Championship. The score is OU 21, USC 20, and USC is lining up for a last second field goal to try to win the game. You watched the USC kicker warm up and you saw that he could kick the football with a maximum velocity of 21 m/s. He lines up for a 45-yard kick. You watch as he kicks the ball at an angle of 35° above the horizontal. Assuming he kicks the ball straight will the ball clear the 10-foot goal post, or will OU win the national championship?

## **Context-Rich Problems: Solutions Outline**

## FOCUS the PROBLEM

Draw a picture of the situation including ALL the information given in the problem.



$$2 | m_{S} \times \frac{160 \text{ cm}}{m} \times \frac{1}{2} \frac{1}{54} \frac{1}{m} \times \frac{1}{12} \frac{1}{m} = 68.9 \frac{\text{ft}}{580}$$

10

Question(s): What is the problem asking you to find?

Will the field goal be good?

Approach: Outline the approach you will use.

Use kinematic equations with ax: 0, ay =-9 to determine how high the ball will be when it goes 45 yds. (You could also figure out where the ball is horizontally when it is 10 ft high)

## DESCRIBE the PHYSICS

Draw physics diagram(s) and define ALL quantities uniquely.



Quantitative Relationships: Write equations you will use to solve this problem.

$$V_{2}^{2} = V_{1}^{2} + 2a(x_{2} - x_{1})$$

$$V_{2}^{2} = V_{1} + a(t_{2} - t_{1})$$

$$X_{2} - X_{1} = V_{0x}(t_{2} - t_{1}) + \frac{1}{2}a(t_{2} - t_{1})^{2}$$

Check Units

$$(I)^{2} (I) + (I) \left\{ \begin{array}{c} (I) \\ (I)^{2} \\ ($$

EXECUTE the PLAN Calculate Target Quantity(ies)  $y_{,=} (135 \text{ f}_{+}) (t_{an} 35^{\circ})$   $-\frac{1}{2} (32 \text{ f}_{/S^{2}}) (\frac{135 \text{ f}_{+}}{68.9 \text{ f}_{/Sec}} c_{as} 35)^{2}$ = 3.0 ft

EVALUATE the ANSWER Is Answer Properly Stated?

(extra space if needed)

Write your Group Number here and the names of the group members who are present.

Group Number:\_\_\_\_\_

Name:\_\_\_

Name:

Name:\_\_\_

Name: