

Jef Wagner  
Nuc Particle Talk  
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## Intro

- \*Particle Decayrates and Scattering Cross Sections
- \*By Jef Wagner

## Outline

- \*Decay Rates
  - \*\*Multiple Decay Modes
  - \*\*Theoretical Calculation
  - \*\*Experimental Measurement
- \*\*Setup of Muon Measurement
- \*Scattering Cross Sctions
  - \*\*Theoretical Calculation
  - \*\*Experimental Measurement

## Decay Rates

- \*Probability of a particle decaying
- \*Heavy Particles Decay into lighter ones
  - \*\* Muon  $\rightarrow$  Electron + anti electron neutrino + muon neutrino
- \*The time of decay is not always the same
- \*particles have no memory (time until decay does not depend on how long it's been alive)
- \*If probability of decay is constant (in the particles rest frame) Sets up differential equation
- \*Gives us the equation  $N(t) = N_0 e^{-(\Gamma t)}$

## Theoretical Calculation

- \*Use Feynman Diagram for each decay mode, calculate Amplitude
- \*Use the "Golden Rules" to calculate decay rate for each mode
- \*Can then calculate total decay rate or Branching Ratios

## Experimental Measurement

- \*Cannot make the measurement from a single particle
- \*Start with very large number of particles, and measure the number of decays per time
- \*Measure the lifetimes of many particles put them into bins, match to a exponential

## Muon Lifetime Experiment

- \*typical juniorlab experiment
- \*Use Cosmic Ray Muons
- \*Stop them in a scintillator
- \*Detect the arrival and decay with a photomultiplier tube
- \*Measure the time with a electronic timer
- \*Many Small details

## Cross Sections

- \*Probability of Particles Interacting
- \*Given as an area (often in the units of a "barn" or  $10^{-24}\text{cm}^2$ )
- \*#N of events / time = Crosssection \* Luminosity
- \*Detail physical Explanation of what the cross section and differential cross section are
- \*Hard Sphere scattering example
- \*Different cross section for each scattering possibility
- \*cross section depend upon energy (velocity)
- \*bumps in the energy vs. cross section curves can indicate short lived particles
- \*\*Example of the Hyperbion and the Top Quark

## Theoretical Calculation

- \*Use feynman Diagram to calculate Amplitude M
- \*Use Fermi's Golden Rule to calculate crosssections
- \*Use those results in a monty carlo simpulation to get a sweep of # of events in certain energy ranges

#### Expermental Measurement

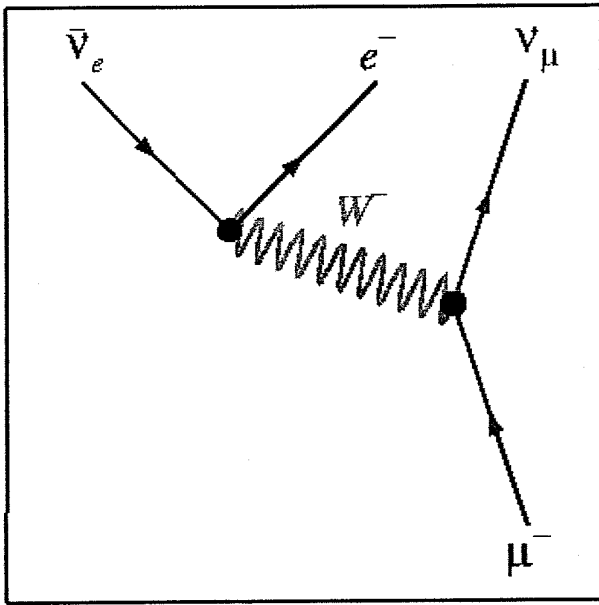
- \*Use incident beam of particles with known luminosity onto startionary target, Measure #N of events
- \*\*Similar to Ncutrino observations in the large underground water tanks
- \*colide two beams of particles, measure the everything you can at all angels. Use the patterns of what comes out to descibe certain events.
- \*\* Example a modern particle collider

#### Works Cited:

- Griffiths, David "Introduction to elementary particles"
- Bugel, Leonard "Measuring Particle Lifetimes"
- Nave, Carl R. "Hyperphysics"

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### Muon Decay



Feynman diagram of a muon scattering event.

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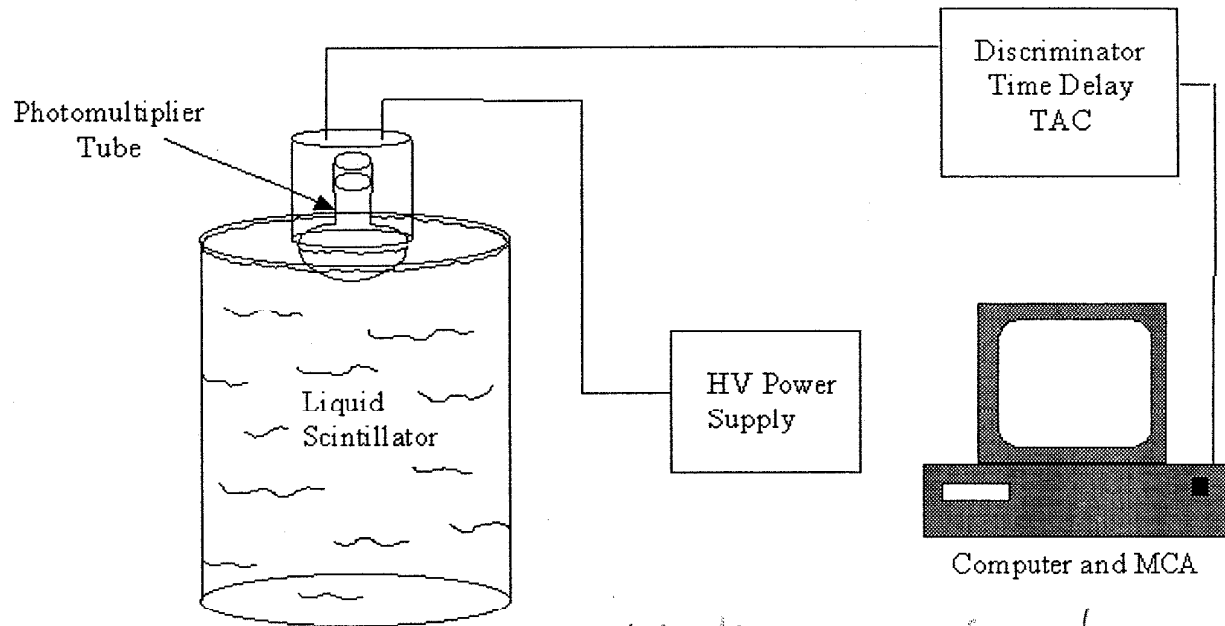
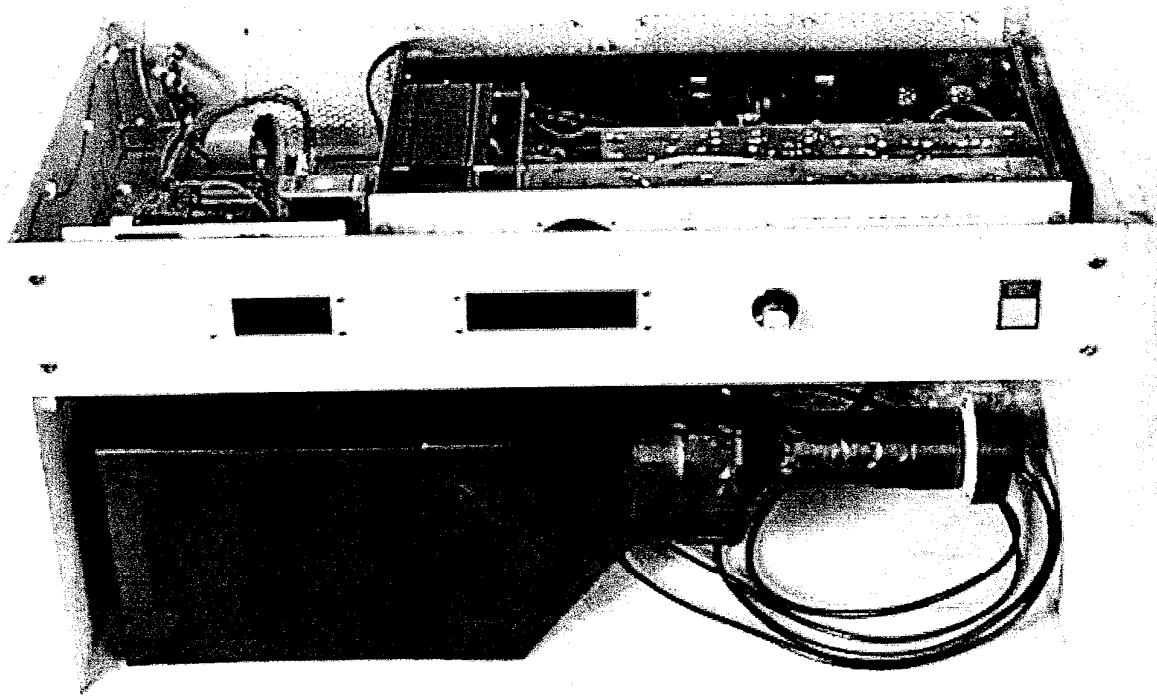


Diagram of the moon life time experiment.



Picture of the experimental apparatus.

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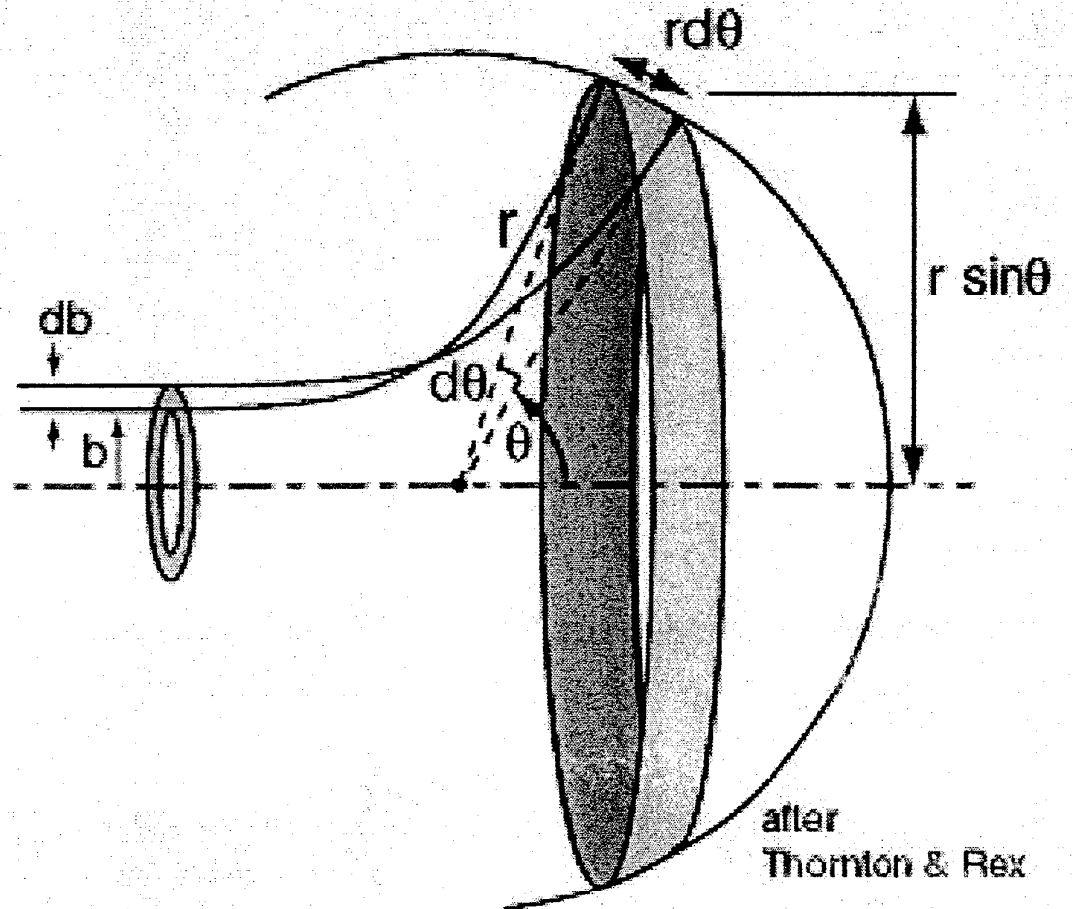
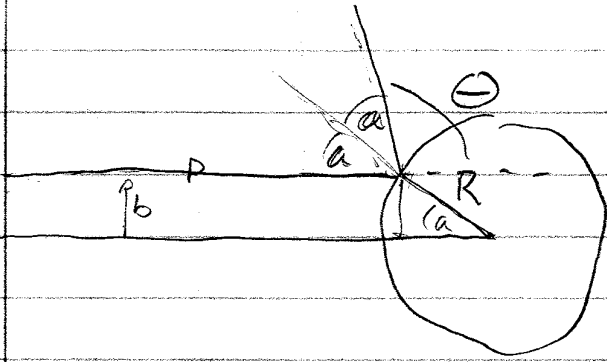


Diagram of a scattering event  
classical

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$$\theta = \pi - 2a \quad \text{or} \quad a = \frac{\pi}{2} - \frac{\theta}{2}$$

$$\text{so } b = R \sin(a) = R \sin\left(\frac{\pi}{2} - \frac{\theta}{2}\right) = R \left( \sin\left(\frac{\pi}{2}\right) \cos\left(\frac{\theta}{2}\right) - \cos\left(\frac{\pi}{2}\right) \sin\left(\frac{\theta}{2}\right) \right)$$

$$b = R \cos\left(\frac{\theta}{2}\right) \quad \left(\frac{db}{d\theta}\right) = -\frac{R}{2} \sin\left(\frac{\theta}{2}\right)$$

do find

$$\frac{d\sigma}{d\Omega} = \frac{b db d\phi}{\sin\theta d\theta d\phi} = \frac{b}{\sin\theta} \left(\frac{db}{d\theta}\right) = \frac{R^2 \cos\left(\frac{\theta}{2}\right) \sin\left(\frac{\theta}{2}\right)}{2 \sin\theta}$$

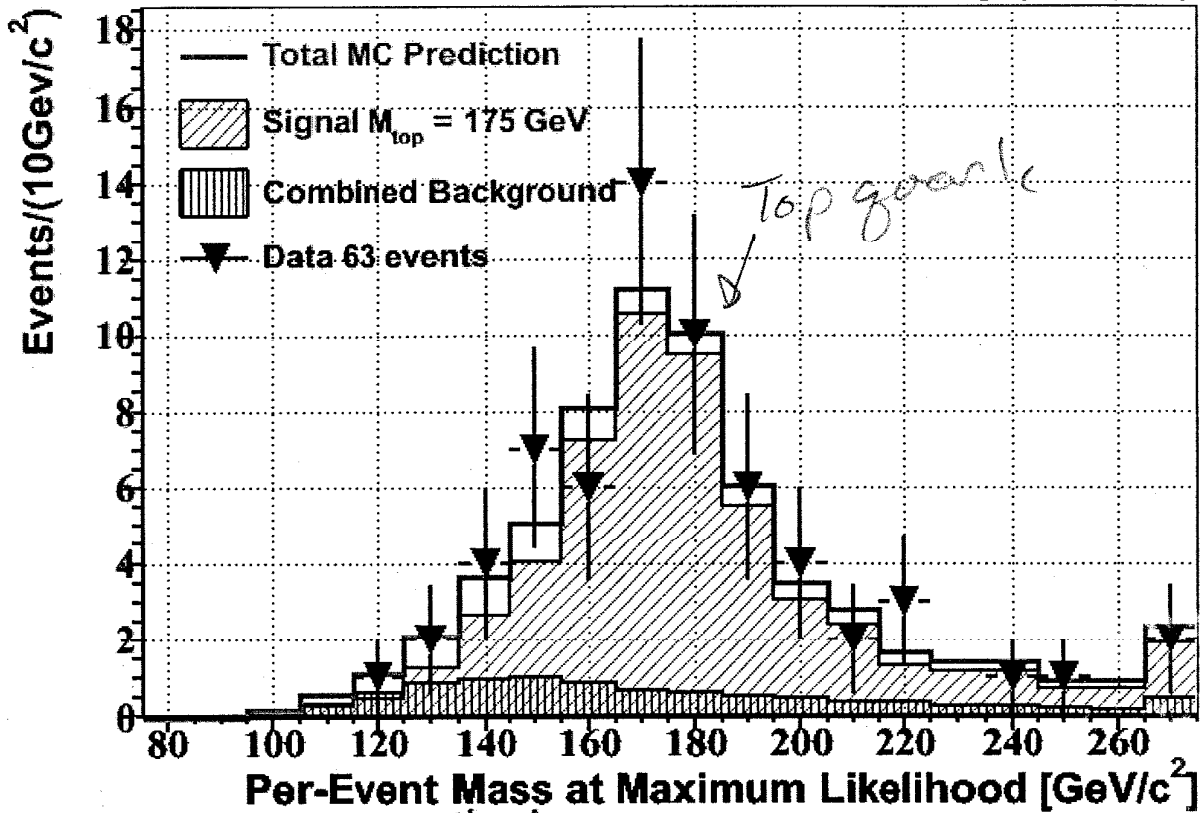
$$\cos\left(\frac{\theta}{2}\right) \sin\left(\frac{\theta}{2}\right) = \frac{1}{2} \sin(\theta)$$

$$\frac{d\sigma}{d\Omega} = \frac{R^2}{4} \quad \text{if we integrate over all solid angle}$$

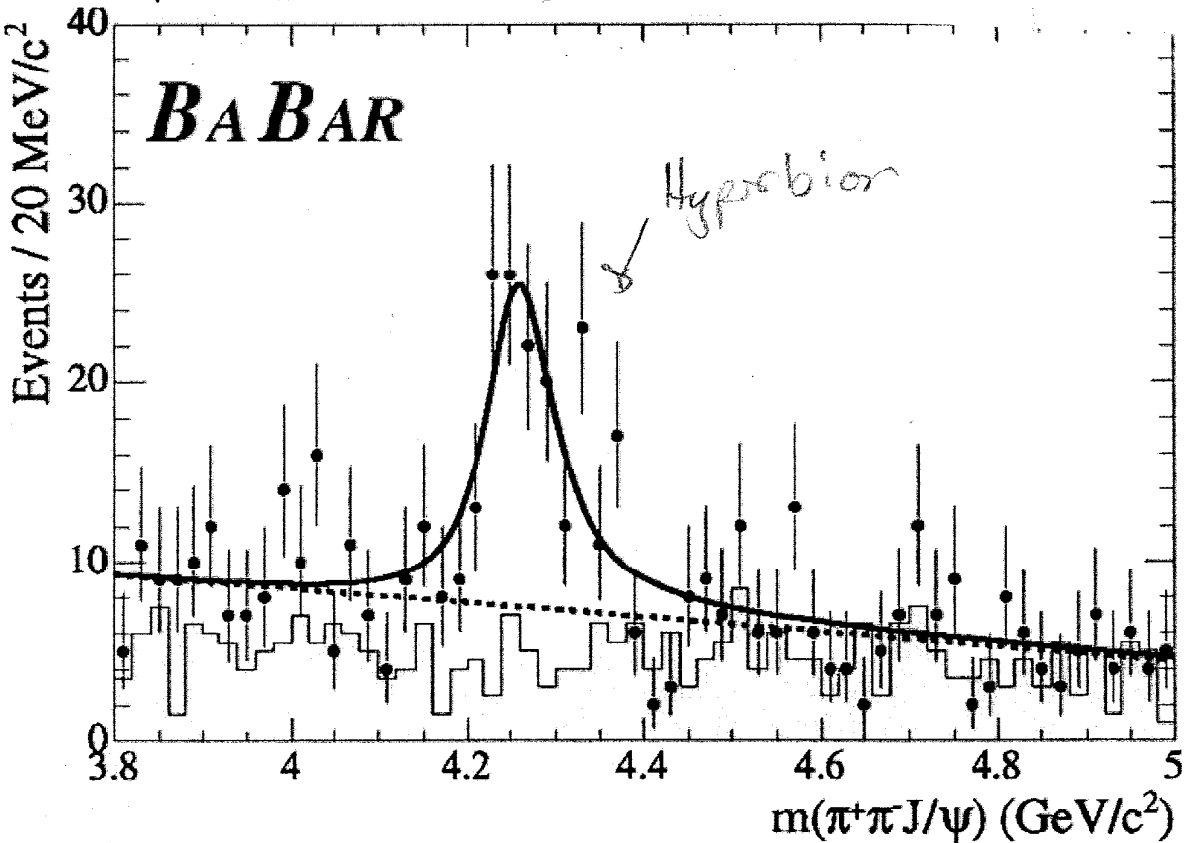
$$\frac{R^2}{4} \int d\Omega = \frac{R^2}{4} 4\pi = \pi R^2 = \text{Area of a circle}$$

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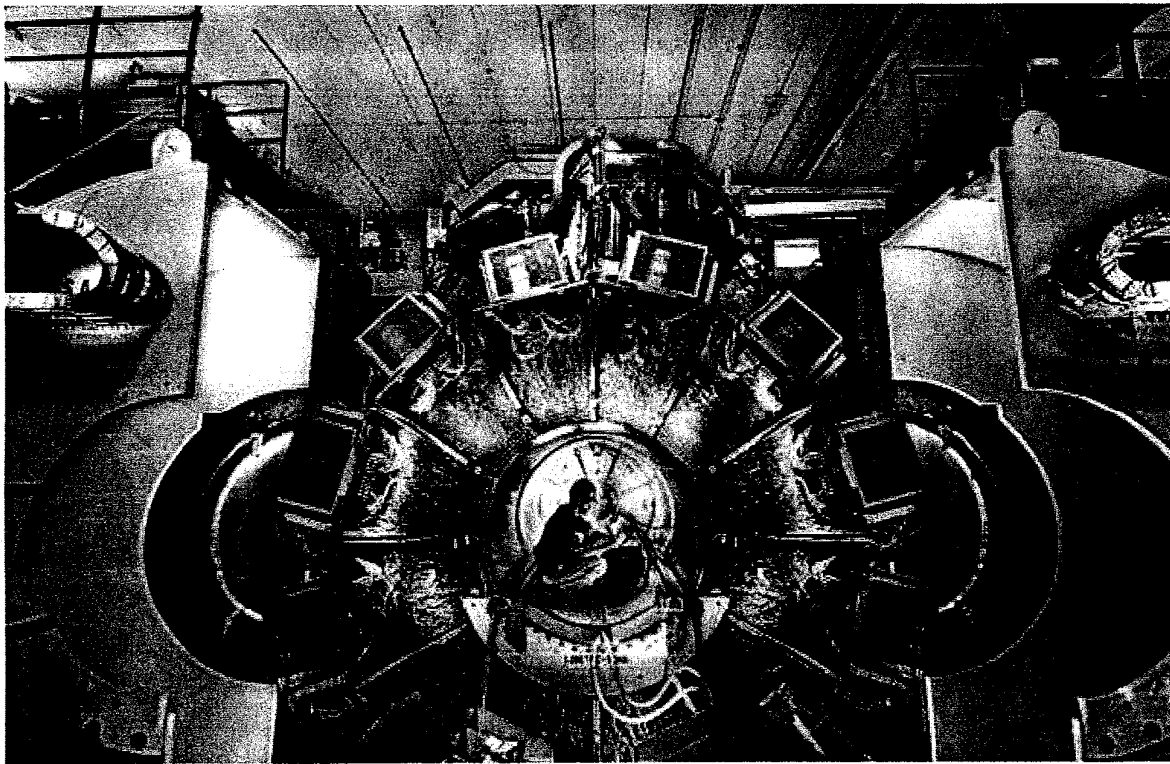
CDF Run II Preliminary (318 pb<sup>-1</sup>)



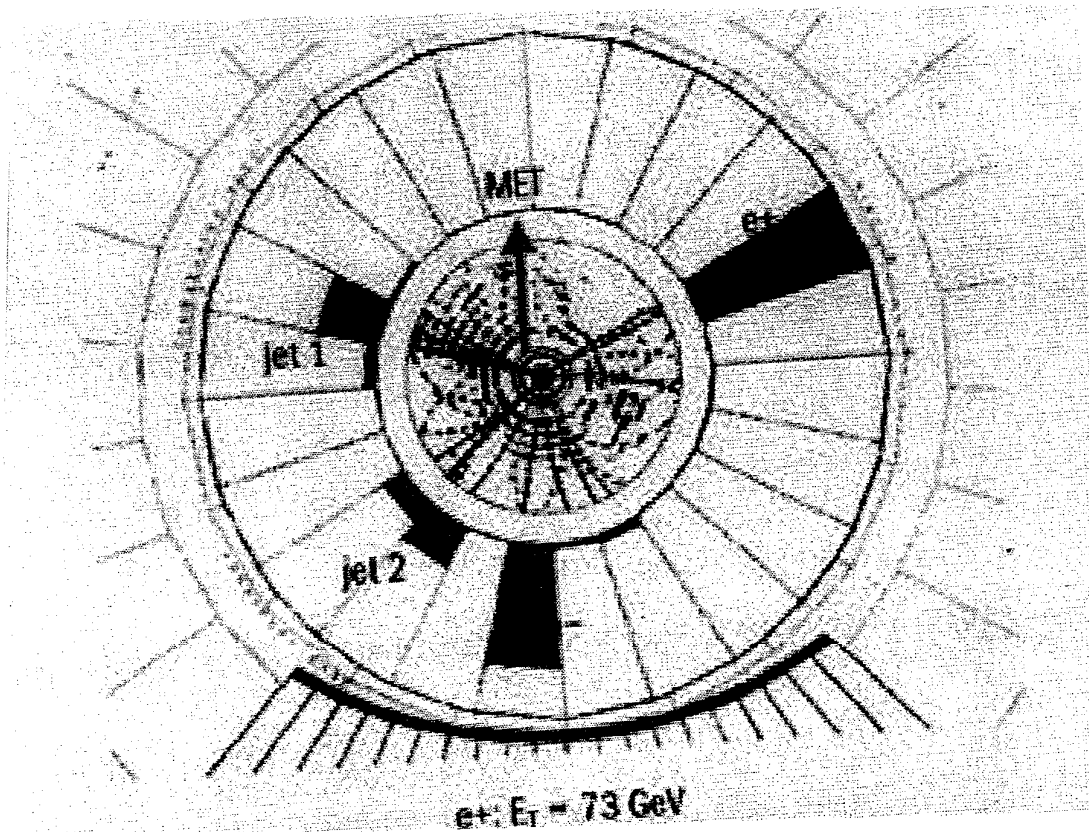
examples of scattering cross section resonances



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Example of a collision experimental apparatus.



example of a collision event.