



Physics 2514

Lecture 37

P. Gutierrez

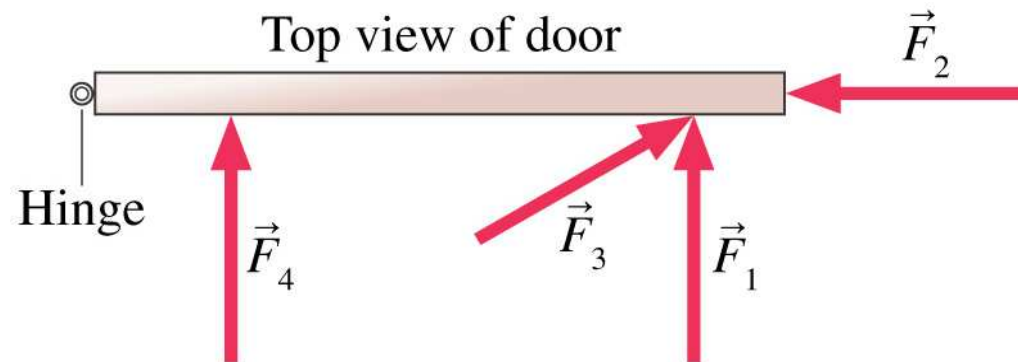
Department of Physics & Astronomy
University of Oklahoma



Rotational Forces

- How does one apply Newton's laws to systems that rotate?

Forces on a Door



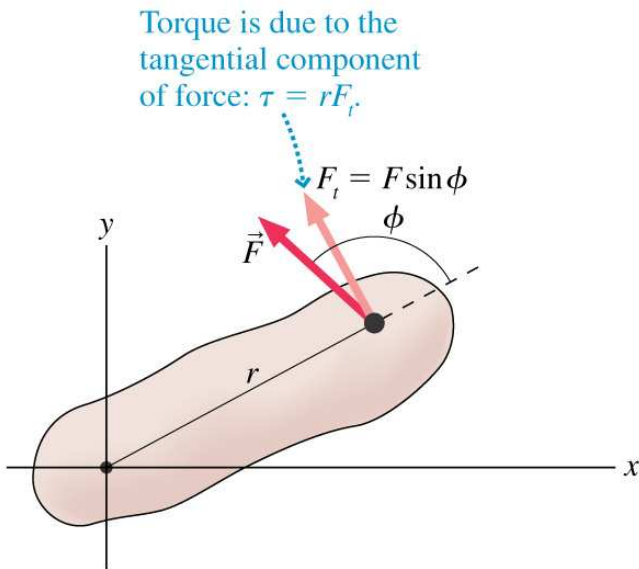
- Experience tells us \vec{F}_1 makes opening the door easier, assuming that all forces have the same magnitude. Force furthest from hinge and perpendicular causes largest acceleration.



Torque

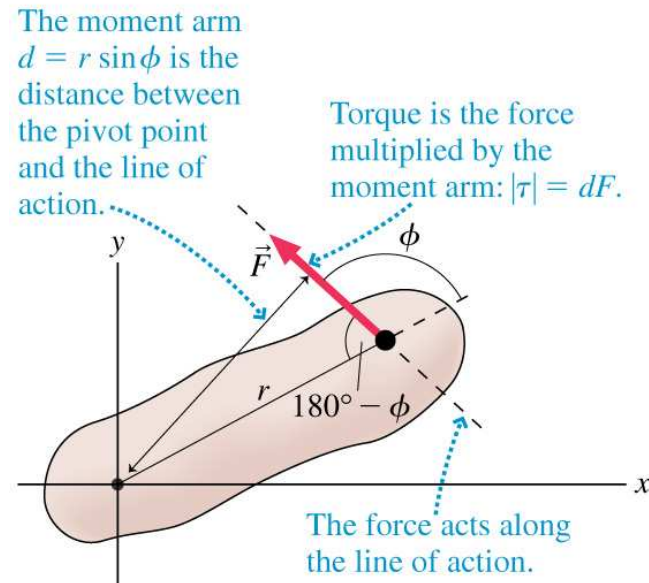
- 6 Define torque $\tau = rF_{\perp} = r_{\perp}F = rF \sin \phi$ F_{\perp} is the component of the force that gives the tangential acceleration.

(a)



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(b)

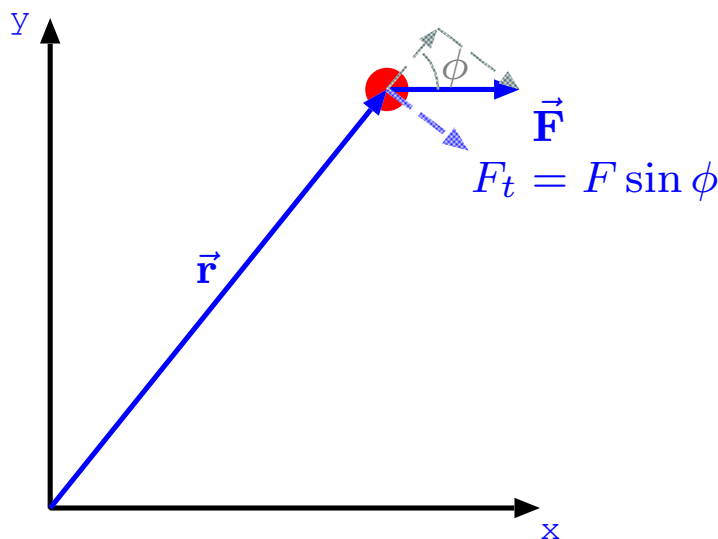


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Torque

- ⑥ Consider a point particle under the influence of a force \vec{F} , how is Newton's second law modified?
 - △ First must define a coordinate system, since the torque depends on where the origin is chosen. (If motion is circular or there is a symmetry point select the symmetry point, if there is a fixed point (hinge) select the fixed point.)



Newton's second law: $\vec{F} = m\vec{a}$

Take tangential components & multiply by r : $rF \sin \phi = mra_t = mr^2\alpha$

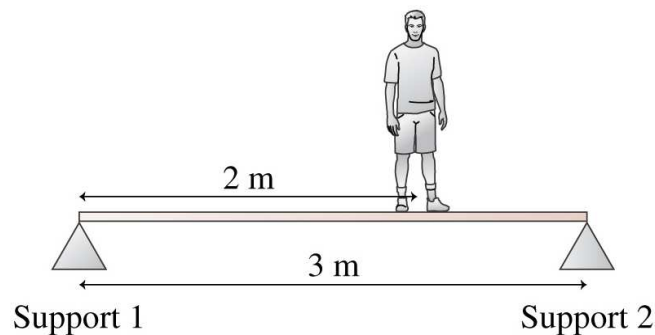
If multiple forces act on the system, then $\sum \tau = mr^2\alpha$

mr^2 is the moment of inertia, to be defined for an extended object later.



Example

A 3 m long rigid beam with a mass of $M = 100$ kg is supported at each end. An $m = 80$ kg student stands 2 m from support 1. How much upward force does each support exert on the beam?



Newton's second law forces:

$$n_1 + n_2 - mg - Mg = 0$$

Newton's second law torques:

$$n_2(3 \text{ m}) - Mg(1.5 \text{ m}) - mg(2 \text{ m}) = 0$$

Do algebra

$$n_1 = 751.3 \text{ N and } n_2 = 1012.7 \text{ N}$$



Assignment



Continue reading chapter 13

Will discuss angular momentum and moments of inertia